

## COURSE HANDOUT

Course Code	ACSC13
Course Name	Design and Analysis of Algorithms
Class / Semester	IV SEM
Section	A-SECTION
Name of the Department	CSE-CYBER SECURITY
Employee ID	IARE11023
Employee Name	Dr K RAJENDRA PRASAD
Topic Covered	Binary Search Algorithm
Course Outcome/s	Apply binary search for determining whether key element is found or not in a given array of elements.
Handout Number	16
Date	17 April, 2023

### Content about topic covered: Binary Search Algorithm

#### Binary Search Algorithm (Recursive)

```
Algorithm BinSrch( $a, i, l, x$ )
// Given an array  $a[i : l]$  of elements in nondecreasing
// order,  $1 \leq i \leq l$ , determine whether  $x$  is present, and
// if so, return  $j$  such that  $x = a[j]$ ; else return 0.
{
    if ( $l = i$ ) then // If Small( $P$ )
    {
        if ( $x = a[i]$ ) then return  $i$ ;
        else return 0;
    }
    else
    { // Reduce  $P$  into a smaller subproblem.
         $mid := \lfloor (i + l) / 2 \rfloor$ ;
        if ( $x = a[mid]$ ) then return  $mid$ ;
        else if ( $x < a[mid]$ ) then
            return BinSrch( $a, i, mid - 1, x$ );
        else return BinSrch( $a, mid + 1, l, x$ );
    }
}
```

## Binary Search Algorithm (Iterative)

```

Algorithm BinSearch( $a, n, x$ )
// Given an array  $a[1 : n]$  of elements in nondecreasing
// order,  $n \geq 0$ , determine whether  $x$  is present, and
// if so, return  $j$  such that  $x = a[j]$ ; else return 0.
{
     $low := 1; high := n;$ 
    while ( $low \leq high$ ) do
    {
         $mid := \lfloor (low + high)/2 \rfloor;$ 
        if ( $x < a[mid]$ ) then  $high := mid - 1;$ 
        else if ( $x > a[mid]$ ) then  $low := mid + 1;$ 
        else return  $mid;$ 
    }
    return 0;
}

```

Eg: Let us consider the following 14 elements

-15, -6, 0, 7, 9, 23, 54, 82, 101, 112, 125, 131, 142, 151

x = 151			x = -14			x = 9		
low	high	mid	low	high	mid	low	high	mid
1	14	7	1	14	7	1	14	7
8	14	11	1	6	3	1	6	3
12	14	13	1	2	1	4	6	5
14	14	14	2	2	2			
		Found	2	1	Not found			Found

Time complexity of successful search = best  $\underline{O}(1)$ ,  
 average  $\underline{O}(\log n)$ ,  
 Worst  $\underline{O}(\log n)$ .

Time complexity of unsuccessful search =  $\underline{O}(\log n)$ .